

Ch. 4 Homework

Questions 1, 5, 6, 8, 11, 13, 14, 16

20, 22, 23, 25

Problems 1-3, 5, 6, 8

Questions:

① a) Pitcher throws a fast ball

Force of ground on pitcher - Force of pitcher on ground
 Force of ball on pitcher - Force of pitcher on ball

b) Pencil on desk

Force of gravity pushing pencil down - Force of table pushing up in response

c) car hits a tree

Force of engine seen in tires pushing against ground -
 Force of ground on tires pushing forward

Force of gravity creating friction between tires & ground - Force of ground on tires

Force of car hitting tree - force of tree on car

Force of gravity pulling tree into ground - force of ground up on tree

d) Wind pushing sailboat

Force of wind on sail - Force of sail on wind

Force of sailboat on water (gravity) - Force of water on boat

Qs (cont)

5.



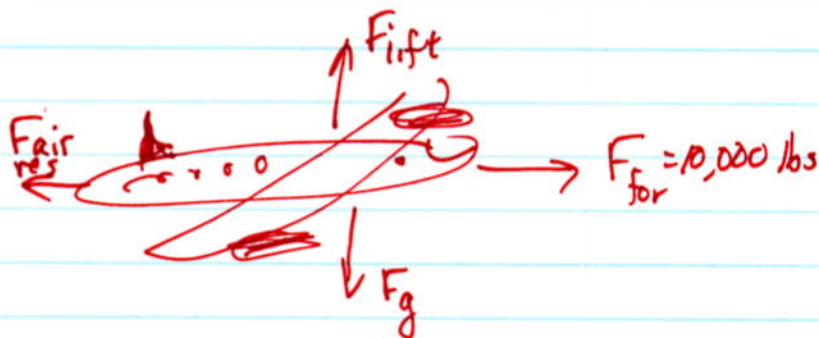
The Ferris wheel is moving in a circle. This means it is accelerating (Δ direction).

The person sitting in the seat is kept from falling downward or from flying outward by the seat constraints.

Gravity's force down countered by seat up.
Centripetal force outward countered by seat bar.

6.

$W = 28,000 \text{ lbs}$
 $v = 500 \text{ mi/hr}$
height = 35,000 ft.
 $F_{\text{for}} = 10,000 \text{ lb}$



Forward thrust balances air resistance (drag)

$$F_{\text{air}} = -10,000 \text{ lbs.}$$

Lift force balances weight.

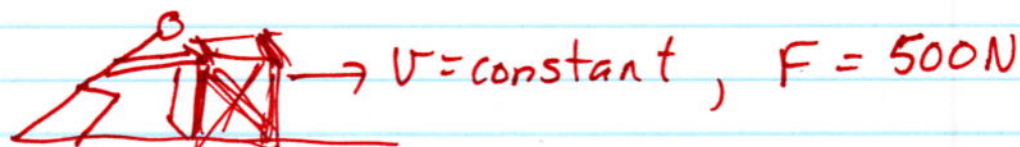
$$F_g = -F_{\text{lift}} = +28,000 \text{ lbs}$$

It's moving at a constant speed, so forces must balance each other. ($\hat{\text{height}}$)

Ch. 4 HW

Q5 (cont.)

⑧.



If $v = \text{constant}$, then $\vec{a} = 0$ & $\Sigma F = F_{\text{NET}} = 0$

$$F_{\text{push}} + F_{\text{friction}} = 0$$

$$F_{\text{push}} = -F_{\text{friction}} = 500\text{N}$$

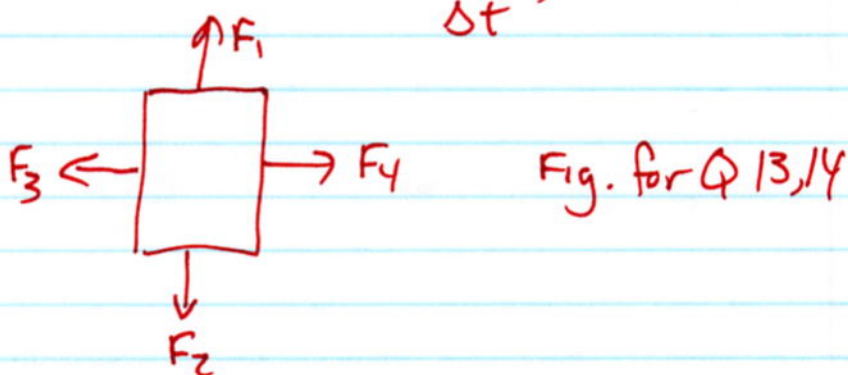
Note:

It did take more than 500N push to get crate started however!

⑪. Car - straight track, constant speed

No $\Delta \vec{v}$, \therefore No $\vec{a} = \frac{\Delta \vec{v}}{\Delta t}$, $\therefore \Sigma F = 0$

⑬.



⑬. If box accelerates to right, how do 4 forces compare?

$$F_1 = F_2, F_4 > F_3$$

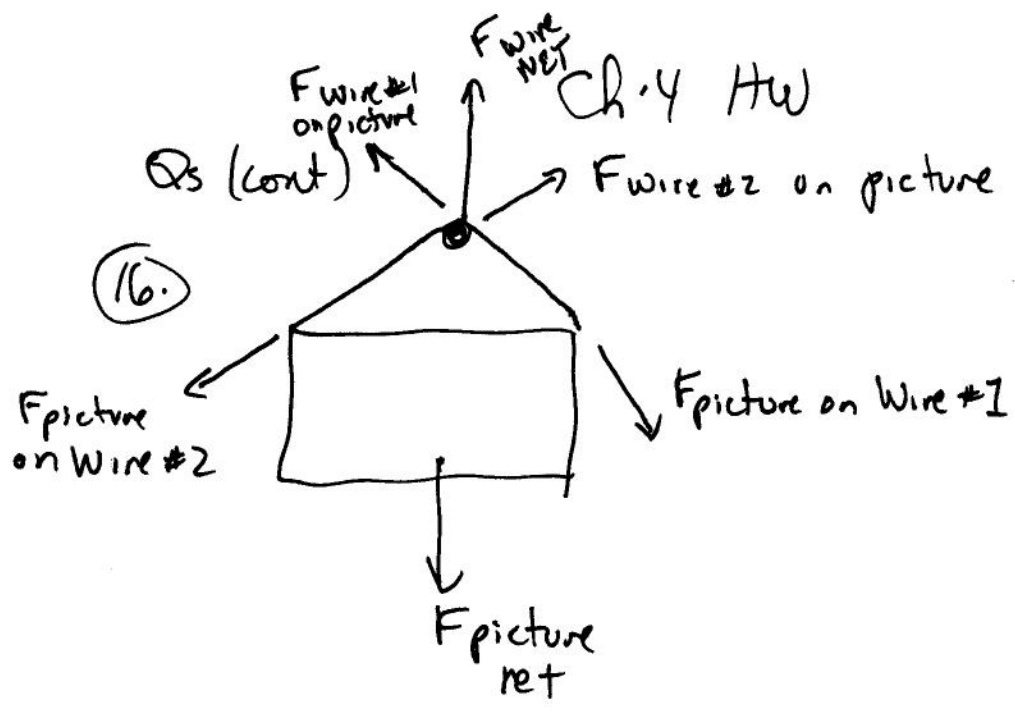
⑭. a) If box accelerates upward?

$$F_1 > F_2, F_3 = F_4$$

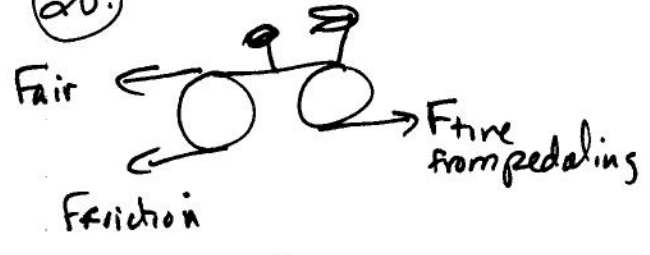
b) If box accelerates, upward & right?

$$\left\{ \begin{array}{l} F_1 > F_2 \\ F_4 > F_3 \end{array} \right. \neq$$

Ch. 4 HW

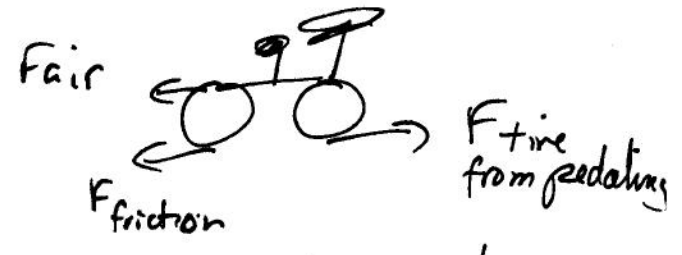


20.



Accel.

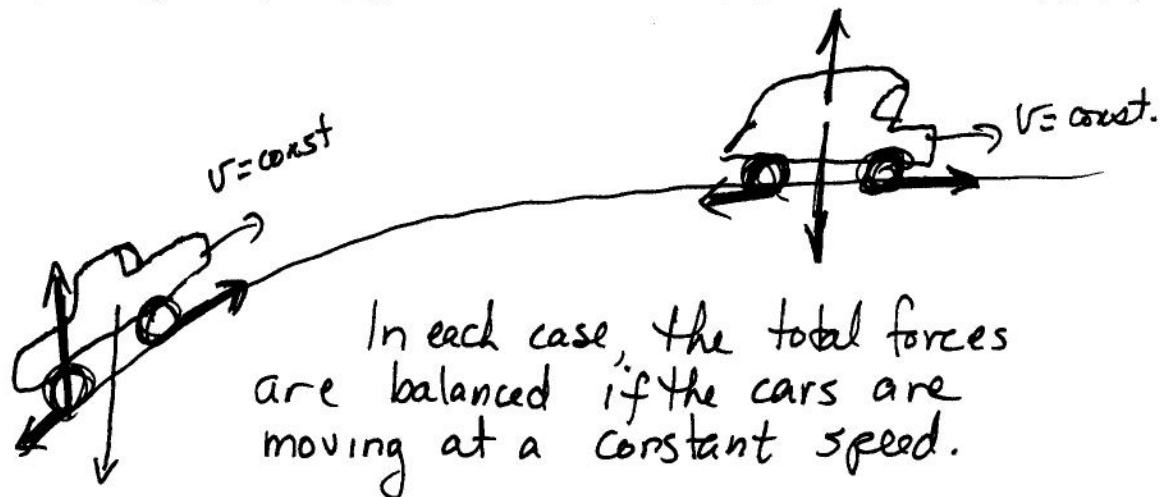
$$F_{\text{tire}} > (F_{\text{air}} + F_{\text{friction}})$$



const. speed

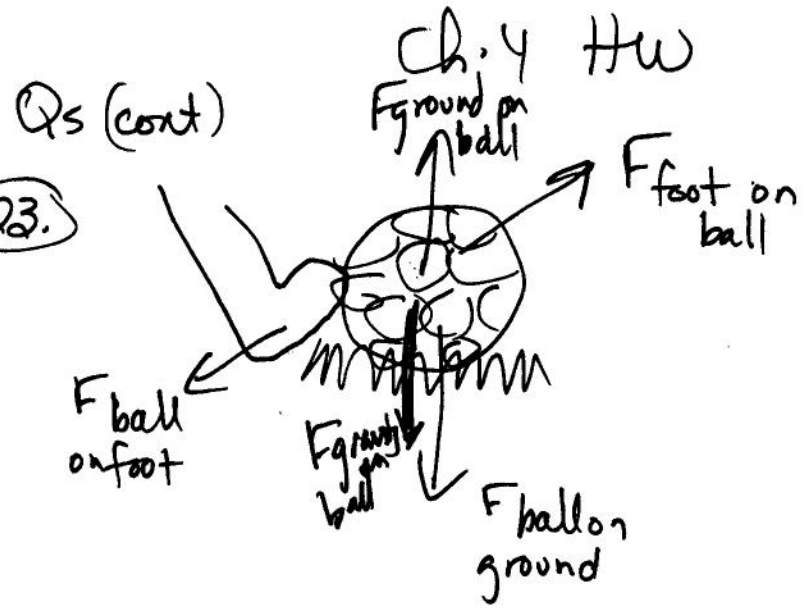
$$F_{\text{tire}} = F_{\text{air}} + F_{\text{friction}}$$

22.

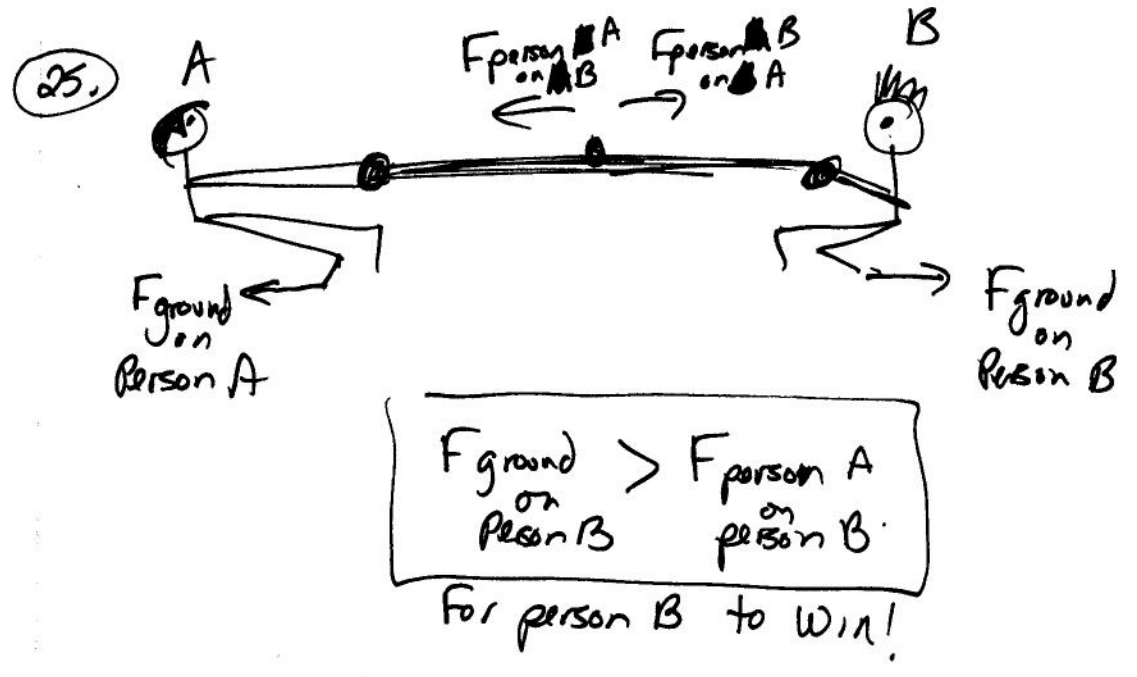


In each case, the total forces are balanced if the cars are moving at a constant speed.

The engine is working harder on the hill to counter balance the downward force along the road.



$$F_{\text{foot on ball}} > F_{\text{gravity on ball}}$$



Problems

(1) $m = 20 \text{ kg}$
 $a = 9.8 \text{ m/s}^2$

$$F = ? = ma$$

$$F = 20 \text{ kg} (9.8 \text{ m/s}^2)$$

$$F = 196 \text{ N}$$

Ps (cont)

- ②. Greatest inertia requires greatest force to change a body's motion.

greatest ocean liner
 ↓ VW bug
 least mosquito

- ③. $v = 55 \text{ mi/hr}$ const.

- a) Forces \rightarrow gravity creating friction
 \rightarrow force of ground back on tires from engine
 \rightarrow drag due to air resistance

b) $\Sigma F = F_{\text{net}} = 0$ because $\vec{a} = 0$

- c) To turn around a curve, direction changes, so $\Delta \vec{v} > 0$, $\therefore \vec{a} > 0$, $\therefore F_{\text{net}} \neq 0$

⑤. $m = 50 \text{ kg}$
 $v = 20 \text{ mi/hr} \rightarrow \left(\frac{1609 \text{ m}}{\text{mi}} \right) \left(\frac{\text{hr}}{3600 \text{ s}} \right) = 8.94 \text{ m/s}$
 $t = 0.5 \text{ sec.}$

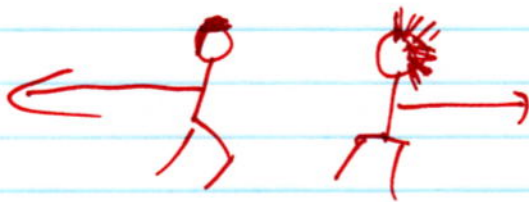
$$F = m \frac{\Delta v}{\Delta t} = \frac{50 \text{ kg} (0 \text{ m/s} - 8.94 \text{ m/s})}{0.5 \text{ sec}}$$

$$\boxed{F = 894 \text{ N}}$$

P₃ (cont)

$$\textcircled{6.} \quad m_m = 45 \text{ kg} \quad v_{fm} = 14 \text{ ft/s}$$

$$m_B = 65 \text{ kg} \quad v_{fB} = ?$$



$$F_m = -F_B$$

$$m_m a_m = -m_B a_B$$

$$m_m \frac{\Delta v_m}{\Delta t} = -m_B \frac{\Delta v_B}{\Delta t}$$

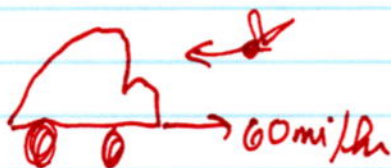
← Δt cancel out, also same time of contact between them!

$$45 \text{ kg} (14 \text{ ft/s} - 0) = -65 \text{ kg} (v_{fB} - 0)$$

$$\frac{45 \text{ kg} (14 \text{ ft/s})}{65 \text{ kg}} = -v_{fB}$$

$$\boxed{-9.7 \text{ ft/s} = v_{fB}}$$

⑧.



- a) Both bug & car experience same force, Newton's 3rd Law
 b) Bug has greatest acceleration, $F=ma$